# **The Contribution of N<sup>+</sup> lons to**

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Ions and electrons escape via open field lines to the Earth's magnetosphere

**He+**

e-

**H+**

 $F_{2}$ 

**F**<sub>1</sub> **W M**  $\frac{0}{2}$  **N** +

**O+**

**NO+**

e-

 $O_2^+$ 

 $N_2^+$ 

e-

 $F_1$  = Gravitational  $F_2$  = Electromagnetic

**?**

$$
E = \frac{1}{2}mv^2 - \frac{gMm}{r}
$$

E∥

Escape:  $\mathsf{E}_{\rm esc}(\mathsf{e}^\text{-}) \geq 0.7$  eV  $E_{\rm esc}$ (lons)  $\geq 10$  eV

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## **Observation of N+ ions**

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(Credit: Ilie et al., 2020, submitted to JASTP) ECE ILLINOIS

## **Difficulty to distinguish N+ from O+ ions**



### **THE PROBLEM:**

Most instruments flying in space cannot distinguish them apart, due to instrument poor mass resolution.







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- **Albeit limited, the existing** observations indicate that **O+ and N+ exhibit a different behavior as affected by solar radiation, solar wind, and geomagnetic activities**
- § **No studies considered the outflow of N+**, in addition to that of O+ from first principles, in spite of:
	- $\triangleright$  different ionization potential,
	- $\triangleright$  different chemistry
	- $\triangleright$  different scale heights
	- $\triangleright$  different pathways of energization

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# **Difficulty to distinguish N+ from O+ ions**



**N+ <b>Exhibit a** different behavior as  $\mathbf{r}$  and  $\mathbf{r}$  and  $\mathbf{r}$  and  $\mathbf{r}$ 

**MARCH 12, 1990 23:17:47**<br>10<sup>4</sup>  $\uparrow$ 

 $\pm$ 

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**C**

**E**

 $\frac{1}{2}$   $\frac{1}{2}$   $\frac{1}{2}$   $\frac{1}{2}$   $\frac{1}{2}$ 

 $Q^+$ 

16:07:04 UT



- **C WHICH IT ISSPU** and the poler which **wind, and generally activities of the contractivities** wind in response to solar flux and seasonal **outflow of N+**, in addition to that of p<br>n ■ What is the abundance of N<sup>+</sup> ions in the polar variations?
	- $\begin{pmatrix} \mathcal{N}^1 \\ \mathcal{N}^1 \end{pmatrix}$  $\mathbf{N}$  impact the polar  $\mathbf{V}$ ■ How does the presence of N<sup>+</sup> impact the polar wind solution?

Most instruments flying in space cannot distinguish them apart, due to instrument poor mass resolution.

 $\triangleright$  different pathways of MARCH 13 MARCH 14 M/G energization



## **Polar Wind Outflow Model (referred to as 3iPWOM)**

- Chemical & Collisional Scheme
- **Suprathermal** Electron: GLOW
- Neutral Density: NRLMSISE-90

For each time step, solve  $n, T, v, and E<sub>II</sub>$ 

Solves Transport Equations and E<sup>∥</sup> equation for  $H^+$ ,  $He^+$ ,  $O^+$  $\partial$  $\partial t$  $(A\rho_i) + \frac{\partial}{\partial_i}$  $\partial r$  $(A\rho_i u_i) = AS_i$  $\partial$  $\partial t$  $(A\rho_i u_i) + \frac{\partial}{\partial_i}$  $\partial r$  $(A\rho_i u_i^2) + A\frac{\partial p_i}{\partial x}$  $\partial r$  $= A\rho_i\left(\frac{e}{m}\right)$ *m<sup>i</sup>*  $E_{\parallel} - g$ ) +  $A \frac{\delta M_{i}^{2\prime}}{\delta t} + A \frac{\delta M_{i}^{2\prime}}{\delta t}$  $\partial$  $\partial t$ ( 1 2  $A\rho_i u_i^2 +$ 1  $\gamma_i - 1$  $Ap_i) + \frac{\partial}{\partial x}$  $\partial r$ ( 1 2  $A\rho_i u_i^3 + \frac{\gamma_i}{\gamma_i}$  $\gamma_i-1$  $Au_ip_i)$  $= A\rho_i u_i \left( \frac{e}{m} \right)$ *m<sup>i</sup>*  $E_{\parallel} - g) + \frac{\partial}{\partial r}$  $(A\kappa_i$  $\frac{\partial T_i}{\partial r}$  ) +  $A \frac{\delta E_i}{\delta_t}$  $+ Au_i$  $\delta M_i$  $\frac{t}{\delta t}$  + 1 2  $Au_i^2S_i$  $E_{\parallel} = -\frac{1}{en_e}$ [  $\partial$  $\partial r$  $(p_e + \rho_e u_e^2) + \frac{A'}{4}$  $\frac{A}{A} \rho_e u_e^2$  $\binom{2}{e} + \frac{1}{\sqrt{2n}}$ *en<sup>e</sup>*  $\partial$  $\partial r$  $\left(\sum\right)$ *i m<sup>e</sup>*  $\frac{m_e}{m_i}[(u_e - u_i)S_i - \frac{\delta M_i}{\delta t}] + \frac{\delta M_e}{\delta t})$ *z B*(*r*,*z*) *r*(*z*)



(Credit: Glocer et al., 2009) **ECE ILLINOIS** 

## **Seven Ion Polar Wind Outflow Model (7iPWOM)**

• New **Chemical** & **Collisional** Scheme

• **Suprathermal**  $\bf{Electron: GLOW}$ (*A*⇢*iu*<sup>2</sup>

• Neutral Density: NRLMSISE-00  $\bullet$ al Density: *MSISE-00* 

For each time step, solve

+

@*r*

(*A<sup>i</sup>*

Solves Transport Equations and E<sup>∥</sup> equation for  $\rm H^{+}, \rm He^{+}, \rm N^{+}, \rm O^{+}, \rm N_2^{+}, \rm NO^{+}, \rm O_2^{+},$ n, T, v, and E<sup>∥</sup> **7iPWOM**  $\partial$  $\partial t$  $(A\rho_i) + \frac{\partial}{\partial_i}$  $\partial r$  $(A\rho_i u_i) = AS_i$  [1] <sup>=</sup> *<sup>A</sup>*⇢*i*( *<sup>e</sup>*  $\overline{\partial t}$  $\frac{\partial}{\partial t}(A\rho_i u_i) + \frac{\partial}{\partial r}(A\rho_i u_i^2) + A$ *<sup>i</sup>* <sup>+</sup> *<sup>i</sup> i* 1  $\partial$ *i*, 1  $\partial$ <sub>*i*</sub> 1 *m<sup>i</sup>*  $\lim_{n \to \infty}$  $\begin{bmatrix} 0 & 2 \\ 1 & 2 \end{bmatrix}$  $= A_0 u$  $\frac{y_i}{\rho}$  $\frac{e}{m}E_{\parallel}$ 2  $g) + \frac{g}{f}$ @*t* 3lue: **(***A*<br>3ed: Co @*r*  $\begin{bmatrix} \n\text{if } \mathbf{a} \neq \mathbf{b} \n\end{bmatrix}$  and  $\begin{bmatrix} \text{if } \mathbf{b} \end{bmatrix}$  and  $\begin{bmatrix} \text{if } \mathbf{c} \end{bmatrix}$  are  $\begin{bmatrix} \text{if } \mathbf{c} \end{bmatrix}$  and  $\begin{bmatrix} \text{if } \mathbf{c} \end{bmatrix}$  are  $\begin{bmatrix} \text{if } \mathbf{c} \end{bmatrix}$  and  $\begin{bmatrix} \text{if } \mathbf{c} \end{bmatrix}$  ar  $\partial t$  $(A\rho_i u_i) + \frac{\partial}{\partial_i}$  $\partial r$  $(A\rho_i u_i^2) + A\frac{\partial p_i}{\partial x}$  $\partial r$  $= A\rho_i\left(\frac{e}{m}\right)$ *m<sup>i</sup> E*<sub>k</sub> *<i>f***<sub>i</sub>** *G***) +** *A<b><i>i Az <i>f***<sub>i</sub>***/z**<i>f***<sub>i</sub>***l**<i>n***</del>** *<b><i><i>i <i>f*</del> *<i>f*</del> *<i><i>i**f <i><i>i**f <i><i>i**<i>f***</del>** *<i>f***</del>** *<b><i><i>i f <i><i>i**<i>f***</del>** *<b><i>*  $\frac{\partial}{\partial t}$  $\int \rho_i u_i^ -\frac{1}{4}$  $A\iota$  $\frac{1}{2}$  $\bigg)$  $+\frac{\partial}{\partial}(\frac{1}{2}A\rho_i u^2)$  $\iota \rho_i u_i$  - $\frac{\gamma_i}{\gamma}$  ions (ze *m<sup>i</sup>*  $\frac{\partial}{\partial x}(\frac{1}{2}A\rho_iu_i^2+\frac{1}{2}A p_i)+\frac{\partial}{\partial y}(\frac{1}{2}A\rho_iu_i^3+\frac{\gamma_i}{2})$  lons (zero v ar  $\int$   $\acute{c}$  $\frac{1}{\cdot}$  $(A$  $\frac{\partial T_i}{\partial r}) + A \frac{\delta E}{\delta_t}$ + *Au<sup>i</sup> M<sup>i</sup>*  $\frac{1}{\delta t}$  + 1 2  $A = A \rho_i u_i \left( \frac{e}{m_i} E_{\parallel} - g \right) + \frac{\partial}{\partial r} (A \kappa_i \frac{\partial T_i}{\partial r}) + A \frac{\partial E_i}{\partial t} + A u_i \frac{\partial}{\partial t} + \frac{\partial}{2} A u_i^2 S_i$ @*t* @*r*  $\begin{bmatrix} 0 \\ \frac{\partial}{\partial t} \end{bmatrix}$  $\overline{\mathcal{O}}$  $(A\rho_i u_i) + \frac{\partial}{\partial r}(A)$  $a_i^2 + A^2$ *m<sup>i</sup>*  $\frac{p_i}{p_r} = A \rho_i ( \frac{e}{m_i} E_{\parallel} -$ Stati  $\partial t$ ( 1 2  $A\rho_i u_i^2 +$ 1  $\gamma_i - 1$  $Ap_i) + \frac{\partial}{\partial x}$  $\partial r$ ( 1 2  $A\rho_i u_i^3 + \frac{\gamma_i}{\gamma_i}$  $\gamma_i$  -*Auipi*) <sup>=</sup> *<sup>A</sup>*⇢*iui*( *<sup>e</sup>*  $m_i$   $or$   $or$   $or$   $or$   $or$   $or$   $or$   $or$   $or$  $(g) + \frac{\partial}{\partial r} (A \kappa)$  $\frac{1}{\partial r}$  $A^{\mathbf{0}}$  $A \frac{1}{\delta_t}$  $\frac{1}{1}$  $Au_i = \frac{\partial u_i}{\partial x_i}$  $\text{Red: Co}$   $\rightarrow$   $\text{Red:Co}$  $T^{\text{t}}$  $\overline{A}$  $(\rho_i u_i) + \frac{\sigma}{\partial r}$ @*r*  $(A\rho_i u_i^2) + A\frac{\rho p_i}{\partial r} = A\rho_i(\frac{e}{m_i}).$  $E_{\parallel}$  *f* Static molecu @  $\frac{1}{i}$  – (  $\overline{1}$  $Ap<sub>i</sub>$ <sup> $+)$ </sup> +  $\frac{1}{2}$  $\overline{\partial r} \setminus \overline{2}^{\mathcal{F}}$  $A\rho_i u_i^3 + \overline{\gamma}$ (  $\frac{1}{i}$ 2 *A*⇢*iu*<sup>3</sup> *<sup>i</sup>* <sup>+</sup> *<sup>i</sup>* **insta** *Auipi*)  $= A\rho_i u_i \left( \frac{e}{m} \right)$ *m<sup>i</sup>*  $E_{\parallel} - g) + \frac{\partial}{\partial r}$  $(A\kappa_i$  $\frac{\partial T_i}{\partial r}) + A \frac{\delta E_i}{\delta_t}$  $+ Au_i$ *M<sup>i</sup>*  $\frac{1}{\delta t}$  + 1 2  $\overline{Au_i^2S_i}$ [1] (zoro v and [3] Energy Change Source term ions (zero **v** and  $E_{\parallel} = -\frac{1}{en_e}$ [  $\partial$  $\partial r$  $(p_e + \rho_e u_e^2) + \frac{A'}{4}$  $\frac{A}{A} \rho_e u_e^2$  $\binom{2}{e} + \frac{1}{e}$ *en<sup>e</sup>*  $\left(\sum_{i=1}^{n} x_i\right)$ *i*  $m_e$ <sup> $\overline{ }$ </sup>  $\frac{m_e}{m_i}[(u_e - u_i)S_i - \frac{\delta M_i}{\delta t}] + \frac{\delta M_e}{\delta t})$ *z* **Static molecular** *r*(z) { Blue: C mistry Related Red: Collision Related **constant T)** *Correct Equation*



(

(Credit: Glocer et al., 2009)

## **Chemistry and Collisions**

3iPWOM

 $H^+$ ,  $He^+$ ,  $O^+$ 









 $\sqrt{2}$ 









3iPWOM 7iPWOM 7iPWO







3iPWOM 7iPWOM 7iPWO





3iPWOM 7iPWOM 7iPWO







## **What causes these differences?**





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Presence of **N+** and molecular species leads to :

- A significant increase (~1 an order of magnitude) in **He**<sup>+</sup> density.
- **H<sup>+</sup>** solution improves as compared with measurements
- § **O+** density profile better matches the data, and the density is a factor 2 larger.
- § **N+** profile matches observations
- § *All species show an increase in temperature/energy.*



## What causes these differences?  $\qquad \qquad \qquad \qquad \blacksquare^{\textit{H}^+}\qquad \qquad \qquad \textit{---}$



7iPWOM 3iPWOM

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: 7iPWOM

 $O^+$ 

 $N^+$ 

 $H^+$ 

: 3iPWOM

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### 23

### 7iPWOM 3iPWOM ECE ILLINOIS



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### 7iPWOM 3iPWOM ECE ILLINOIS



### (b) Collision (c) Collision (c) SIP VVOIVI ECE ILLIN 7iPWOM 3iPWOM



### (b) Collision (c) Collision (c) SIP VVOIVI ECE ILLIN 7iPWOM 3iPWOM

## **Conclusion**

- $\blacksquare$  N<sup>+</sup> ions are the second most abundant ion species in the ionospheric outflow, for all conditions.
- Data-model comparison shows that the presence on  $N^+$  improves the polar wind solution significantly.
	- 7iPWOM predicts the seasonal variation with He+ due to expanded scheme of SE production.
	- Expanded chemical scheme leads to a redistribution of the ion density in the topside ionosphere.
- Extra energy source, such as through wave particle interactions, could have a profound influence on the upward transport of the N+.
	- $-$  N<sup>+</sup> ions are likely to couple with cold neutral species than the O<sup>+</sup> ions.

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